

Due: Thursday Oct. 13/05  
(Show details of your work. Grade is out of 37.)

1 page 56 #38

*4 marks*

2 page 71 #6

*3 marks*

3 page 71 #10

*3 marks*

4 page 71 #22

*8 marks*

5 page 72 #32

*3 marks*

6 page 72 #42

*4 marks*

7 Span

*4 marks*

Suppose that  $S = \{v_1, \dots, v_k, v\}$  is a set of vectors in  $\mathbb{R}^n$  and that  $v$  is a linear combination of  $v_1, \dots, v_k$ . If  $S' = \{v_1, \dots, v_k\}$ , prove that  $\text{span}(S) = \text{span}(S')$ .

## 8 Linear Independence

*4 marks*

Let  $S = \{v_1, \dots, v_k\}$  be a linearly independent set of vectors in  $\mathbb{R}^n$  and let  $v \in \mathbb{R}^n$ . Suppose that  $v = c_1v_1 + c_2v_2 + \dots + c_kv_k$  with  $c_1 \neq 0$ . Prove that  $T = \{v, v_2, \dots, v_k, \}$  is a linearly independent set.

## 9 page 80 #4

*2 marks*

## 10 page 80 #8

*2 marks*